Pretoria, South Africa: Department for Basic Education.

- Department for Basic Education (DBE) (2012) *Report on the Annual National Assessments of 2012.* Pretoria, South Africa: Department for Basic Education.
- Department of Education (2008) Foundations for Learning: Assessment Framework Foundation Phase. Pretoria, South Africa: DoE.
- Dowling, P. (1998) *The Sociology of Mathematics Education: Mathematical Myths, Pedagogic Texts.* London, UK: Falmer.
- Ensor, P., Hoadley, U., Jacklin, H., Kühne, C., Schmitt, E., Lombard, A. & van den Heuvel-Punhuizen, M. (2009) Specialising pedagogic text and time in foundation phase numeracy classrooms. *Journal of Education* 47, 5-30.
- Gray, E. (2008) Compressing the counting process: strength from the flexible interpretation of symbols. In Thompson, I. (Ed.) *Teaching and Learning Early Number*, pp. 82-94. Maidenhead, UK: Open University Press.
- Halliday, M. A. K. & Hasan, R. (1985) Language, Context, and Text: Aspects of Language in a Social-Semiotic Perspective. Geelong, Victoria, Australia: Deakin University Press.
- Hoadley, U. (2007) The reproduction of social class inequalities through mathematics pedagogies in South African primary schools. *Journal of*

Curriculum Studies 39(6), 679-706.

- Marton, F., Runnesson, U. & Tsui, A. B. M. (2004) The space of learning. In Marton, F. & Tsui, A. B. M. (Eds.) *Classroom Discourse and the Space of Learning*, pp. 3-40. Mahwah, NJ: Lawrence Erlbaum Associates.
- Reeves, C. & Muller, J. (2005) Picking up the pace: variation in the structure and organization of learning school mathematics. *Journal of Education* 37, 103-130.
- Schollar, E. (2008) Final Report: The Primary Mathematics Research Project 2004-2007 – Towards Evidence-Based Educational Development in South Africa. Johannesburg, South Africa: Eric Schollar & Associates.
- Sfard, A. (2008) Thinking as Communicating: Human Development, the Growth of Discourses and Mathematizing. Cambridge, UK: Cambridge University Press.
- Thompson, I. (2008) From counting to deriving number facts. In Thompson, I. (Ed.) *Teaching and Learning Early Number* (2nd edition), pp. 97-109. Maidenhead, UK: Open University Press.
- Venkat, H. & Askew, M. (2012) Mediating early number learning: specialising across teacher talk and tools? *Journal of Education* 56, 67-89.
- Venkat, H. & Naidoo, D. (2012) Analyzing coherence for conceptual learning in a Grade 2 numeracy lesson. *Education as Change* 16(1), 21-33.

## From the archives

Editor's note: *The following remarks are extracted from an article by John Mason (1980), published in* FLM1(2). *They, along with the rest of his article, strike me as having some relevance to the writing published in the current issue.* 

Bruner found it useful to distinguish three modes of internal representation which seem to describe stages in children's thinking. When asked a question, children seem to make use of the following internal representations:

- Enactive: able to respond only by recourse to previous practical experience. The classic example is a number question for which the child turns to a balance and physically performs the required acts. Here the response is by the musculature.
- Iconic: able to respond by recourse to mental images of physical objects or to an inner sense of pattern or structure. In the case of numbers having a balance in sight, or a drawing, can assist the work by extending the mental screen. Icons need no articulation because within a culture they need no definition.
- Symbolic: able to respond by using abstract symbols whose meaning must be articulated or defined. In the case of number, 3+4=7 now has meaning, and no recourse to the balance or balance image is needed.

Because Bruner was looking at stages in children's devel-

opment, giving a slightly different perspective to Piaget's work, people seem to have identified

Enactive:	with physical toys
Iconic:	with drawings and pictures
Symbolic:	with words and letters

or, worse,

Enactive:	with primary school
Iconic:	with middle school
Symbolic:	with upper school

and missed the essential qualities which I describe as

Enactive:	confidently manipulable
Iconic:	having a sense or image of
Symbolic:	having an articulation of.

Notice too that symbolic expression must ultimately become enactive if the idea is to be built upon or become a component in a more complex idea. Thus to a pre-school child 1, 2, 3 are truly symbolic, having little or no meaning. With time and extensive encounters a sense of one-ness and twoness develops which underpins the symbols and provides a source of meaning when 1, 2 and 3 are encountered in a new context. To proceed with arithmetic it is essential that 1, 2, 3 become enactive elements, become friends. If they remain as unfriendly symbols then arithmetic must be a source of great mystery.

## Reference

Mason, J. (1980) When is a symbol symbolic? For the Learning of Mathematics 1(2) 8-12.